***Proof:*****"**Let I be a proper ideal of R. Since the primary ideals of a divided ring R linearly ordered. We conclude that $\sqrt{I}$ is a prime ideal of R. Hence by theorem 3.4 I is a 3-Absorbing primary ideal of R."

**Theorem3.13: Let R be a commutative divided TΓSS with identity. Thus every proper ideal of R is an Al 3-API of R. Particularly every proper ideal of a chained Ternary Γ-SO semiring is an Al 3-API.**

***Proof:*** Follows by Th3.3 & by Th3.12.

**Definition 3.14:** Let I be an Al 3-API of R if $\sqrt{I} = P$, then I is called an Almost P-3-API of R.

**Theorem 3.15: Let $E_1, E_2$ …… $E_n$ be an almost P-3-API R for some ideal P of R then $E = \bigcap_{i=1}^{n} \sqrt{E_i}$ is an P-3-API of R.**

***Proof:*** Firs we show that $\sqrt{E} = \bigcap_{i=1}^{n} \sqrt{E_i} = P$.

Suppose that $m\Gamma n\Gamma o\Gamma p\Gamma q \subseteq E - (E\Gamma)^2 E$, for some $m, n, o, p, q \in R$ and $m\Gamma n\Gamma o \not\subseteq$ E.

Then $m\Gamma n\Gamma o \subseteq E_i$ for some 1≤i≤n.

Thus $n\Gamma o\Gamma p \subseteq \sqrt{E_i} = P$ or $o\Gamma p\Gamma q \subseteq \sqrt{E_i} = P$ or $m\Gamma n\Gamma p \subseteq \sqrt{E_i} = P$ or $m\Gamma n\Gamma p \subseteq \sqrt{E_i} = P$ or $n\Gamma o\Gamma q \subseteq \sqrt{E_i} = P.$

## Conclusion:

In this paper we introduced the definition of Almost 3-Absorbing Primary ideal as a generalization of Primary ideals. We observe that Almost 3-Absorbing Primary ideals inherit some of the characteristics and axioms of Primary ideals also we made a study on Almost 3-Absorbing Primary ideals among other ideals.

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